

### The "invisible touch" that leads to cloud formation

Leif Denby

21/10/2019, ICAS internal seminar



### The "invisible touch" that leads to cloud formation

Leif Denby

21/10/2019, ICAS internal seminar





#### In the mountains of northern Mallorca

## Aim



# Aim

 Describe <u>statistics of boundary layer</u> relevant to <u>triggering</u> <u>convection</u> and the <u>sensitivity to presence of different</u> <u>phenomena</u>



"What are the length-scales and magnitudes of perturbations which trigger convection?"

## Why?

- GCMs have too coarse resolution to fully represent convection (O(km))
  - > Trigger (and evolution) of convection must be parameterised
  - These sub-grid features are known to be critical in predicting formation of convection



### What are the length-scales of variability?



Δx=25m Large-Eddy Simulation, RICO test-case

Rendered with VAPOR

### What are the length-scales of variability?



### What are the length-scales of variability?



# Key questions

- 1. What defines a cloud-forcing coherent structure?
- 2. What are the properties of these structures?

Steps to answering:

- 1. Quantify the different characteristic scales of physical fields. Can one of them define a coherent structure?
- 2. Come up with **method to define structures**
- 3. Quantify characteristic properties of coherent structures

# Key questions

- 1. What defines a cloud-forcing coherent structure?
- 2. What are the properties of these structures?

Steps to answering:

- Quantify the different characteristic scales of physical fields. Can one of them define a coherent structure? (spoiler: no)
- 2. Come up with **method to define structures** (spoiler: surface released passive tracer works well)
- 3. Quantify characteristic **properties** of **coherent structures** (spoiler: they are long and thin, shear makes them thinner)

# Simulations used: shear/no-shear RICO-like setup



- Fixed fluxes ( $F_s=150W/m^2$ ,  $F_l=7.0W/m^2$ )
- Convective cells instead of rolls in boundary layer with shear
- In shear convection appears at ends of rolls
- Without shear at nodes of cells

1) Bulk characteristics of the boundary layer

example: characteristic length-scales

# 1.b. Characteristic length-scales of boundary-layer structures

 Two-point correlation of two scalar fields (φ and ψ), here taken at same height (z) for both fields

$$c_{\phi\psi}(\xi,\mu,z) = \frac{1}{L_x L_y} \int_0^{L_x} \int_0^{L_y} \phi'(x,y,z) \psi'(x+\xi,y+\nu,z) dx dy$$

- Measures how correlation with distance (in xy-plane) of scalar fields
- Used by Tobias and Marston 2016 to identify principle length-scales diffusive transport in 3D Couette flow

# Use of cumulants to study characteristic scales



- With shear coherence is increased in direction of shear
  - Coherence stronger in mid boundary-layer than at cloud-base
- Non-sheared case does show coherence lengthscale, characteristic scale of convective cells?
  - Similar scale to crossshear coherence lengthscale?

# Use of cumulants to study characteristic scales



- Direction of strongest coherence from principle axis of moment of inertia tensor
- Coherence length-scale calculated as moment of covariance

### Characteristic horizontal scales of different fields



- Wind-shear causes clear elongation of coherence in all fields
- Different scales clearly seen, vertical velocity narrowest, followed by water vapour and temperature. Buoyancy scale becomes meaningless at z~500m (structures becomes negatively buoyant)

BUT:

Only considering boundary layer in bulk here, what about individual structures? How do we defines these?

# 2) Decomposing joint distributions in the boundary layer

Identifying coherent structures

# 1. Distributions of moisture and temperature (at interesting heights)



- Air that reaches cloud-level appears to be moister and colder than boundary layer characteristic values
- But what are the joint distributions (and their height variation)?

# How does water vapour and temperature correlate in the boundary layer?



- Inner and outer contour at each height contain regions with top 5% and top 90% concentration of points respectively ("garlic plot")
- Red contour: air Δx (gridspacing) below tracked clouds within 3min of appearance => air entering clouds
- How can we isolate the air that enters clouds?

# Boundary layer thermals marked with radioactive tracer



- Two tracers (φ<sub>1</sub>, φ<sub>2</sub>) with different half-life (τ<sub>1</sub>=10min, τ<sub>2</sub>=15min) released from surface
- Time since release:  $t_{age} = \tau_1 \tau_2 \log(\phi_1/\phi_2)/(\tau_1-\tau_2)$
- Thermal edge defined using deviation from std. div. in horizontal slice:
   φ'(x,y,z) > σ(φ(z)) (as in Couvreux et al 2010)

#### Radioactive tracer picks out air entering clouds



- We can now identify the air that enters clouds and looks at its properties
- In this case the mean and distribution appears translated with height => should be easy to parameterise

# 3) properties of individual coherent structures

#### 3. Object-based analysis Identifying individual objects

- Identify (and later, track in time) boundary layer structures which cause convection to trigger
  - → Developing cloudtracking code with Steven Boeing
- Use to partition distributions of variability by individual objects (of specific size, volume, shape, etc)



Buoyant elements defined by w > 0.5m/s in boundary layer of RICO simulation at t=480min

→ Investigating using object topology as means of classification. Contour-tree and fiber-surfaces analysis with Hamish Carr and Peter Hristov, Leeds

# What are characteristic sizes of objects in the boundary layer?

 Use Minkowski functionals to compute characteristic length-scales

$$V_{0} = V = \int dV$$

$$V_{1} = \frac{A}{6} = \frac{1}{6} \int dS$$

$$V_{2} = \frac{H}{3\pi} = -\frac{1}{6\pi} \int dS \nabla \cdot \hat{n}$$

$$\left(V_{3} = \frac{1}{4\pi} \int (\kappa_{1}\kappa_{2})dS\right)$$

$$L = \frac{3V_{2}}{4V_{3}}$$

$$\Rightarrow W = \frac{2V_{1}}{\pi V_{2}}$$

$$T = \frac{V_{0}}{2V_{1}}$$

$$L \ge W \ge T \text{ by construction}$$

V: volume, A: area, H: mean curvature,  $\kappa_1$  and  $\kappa_2$  intrinsic local curvature ( $\nabla \cdot \hat{n} = \kappa_1 + \kappa_2$ )

L, W and T are normalized to equal the radius when applied to a sphere

### Distribution of object length-scales



- Objects in presence of shear generally thinner than when no shear is present
- More large volume (equivalent sphere radius) objects without shear

BUT:

 What about objects that actually make clouds? What size objects dominate for example vertical water vapour transport?

# Decomposing moisture flux by object size and height



Total vertical moisture flux broken down into contribution at a given height by object size

- In bulk of boundary layer objects of r<sub>equiv</sub>~300m dominate (only ~100 objects)
- Near surface smaller scales dominate, but large size-range of objects contribute

# Decomposing moisture flux by object size and height



With shear range of scales which contribute is larger and average dominating scale is larger too

## Plume vs thermal?

Flux decomposition allows us to assert whether flux-dominating structure are attached to surface



 Almost all of vertical moisture flux is carried by objects which extend below z~100m What is shape of objects in the boundary layer?

Calculate the planarity (P) and filamentary (F) from Minkowski functional length-scales

$$P = \frac{W - T}{W + T}, F = \frac{L - W}{L + W}$$



→ Measures how pencil or disc-like an object is

### What is shape of objects in the boundary layer?



→ Shear causes structures to become longer and wider by ~30% and ~80% respectively

## Summary

• Physical fields all vary on different length-scales

→ can't define a coherent object by limit values of a single variable (e.g. positive vertical velocity)

 Surface-released decaying ("radioactive") tracer tracks air that enters newly-formed clouds

 $\rightarrow$  good method for defining cloud-triggering structures

- Vertical moisture flux is dominated by
  - → coherent structures of intermediate length-scale, scale is dependent on amount of ambient shear
  - → Plumes (surface-attached coherent structures) rather than thermals

# Thank you!

Questions?



 Tilt and orientation calculated from slope of center-of-mass in every height inside object

## Decomposition of moisture flux



- Radioactive tracer flux near-constant with height
- Flux from region selected by fibersurfaces much larger than rad tracer – includes local transport

### Example: coldpool influence on boundary layer structures



Using density anomaly ( $\theta_v' < -0.1K$ ) to define coldpool region

Using mean direction of ambient shear and coldpool edge orientation to identify upshear/down-shear edge

5000

vertical velocity at z=112.5m [m/s]

0

up-shear/down-shear region

 $^{-1}$ 

### RKW-theory (precipitating clouds)

Rotunno, Klemp & Weisman 1980s



- Evaporation of rain creates density current
- At edge of spreading current (gust front) air is lifted, inducing local vorticity
- When combined with shear of opposite vorticity convection is more strongly forced, can trigger new clouds or self-reinforce existing (super-cells)

### Coherence length of BL structures

Upshear and downshear coldpool edge



### Cumulant scales for rad tracer



### Cumulant scales for fluxes



### (we can also track them...)

Updated cloud-tracking code by Heus 2008 to track thermals, and clouds, and interaction between them



Height of top of individual clouds and thermals that each cloud was triggered by

- Both thermals and clouds are tracked separately (using rad. tracer and liquid water)
- Can study properties of air triggering specific clouds
- Currently ~60% clouds have triggering thermals identified.
   Another trigger mechanism?
   Investigating cut-offs in tracking

...but that is part of object-based analysis, see later

## What happens when we change the Bowen ratio?



 As Bowen ratio is increased change in mean of distribution has less change in moisture (because less moisture is released from surface)

# What happens when we change the Bowen ratio? (and pick out cloud-feeding air)



- As Bowen ratio is increased change in mean of distribution has less change in moisture (because less moisture is released from surface)
- All distributions show similar shape displaced with height as air is mixed with boundary layer